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# Visual Coordination Diagrams

**FIT VUT Brno, Seminar**

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- architectural description
  - ▷ design vs. implementation of complex systems
  - ▷ primary focus on **design** issues
  - ▷ component-based structure
    - abstraction, refinement
    - hierarchy
    - component reuse
  - ▷ structure vs. behavior

- visual notation
  - ▷ unambiguous rigorous interpretation needed
    - model checking and equivalence checking
  - ▷ visual notations of UML are not formal
    - structure – communication diagrams
    - behavior – state diagrams
    - coordination – sequence diagrams
  - ▷ some visual formalisms for behavioral description exist
    - architectural formalism can be build above them
    - independency of structural and behavioral aspects
    - call for some heterogeneity

# Objectives of this Work

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- filling a gap between semi-formal visual notations and programming languages for concurrent systems
- a formal visual design language for concurrent systems
  - ▷ **Visual Coordination Diagrams (VCD)**
- exogenous coordination model
  - ▷ coordination layer
    - implicit — VCD
  - ▷ behavioral layer
    - explicit — Statecharts, Petri-Nets, ...
- static architecture description

# Related Work

UML      Statecharts      Message sequence charts

**semiformal design languages**

LOTOS      CSP      Pi calculus      PN 2

**GCCS**  $\longrightarrow$  **SGCCS**  $\longrightarrow$  **VCD**  
[Smolka00]      [Safranek02]      [this work]

**formal design languages**

Aesop      Write      Darwin      Rapide

**programming languages**

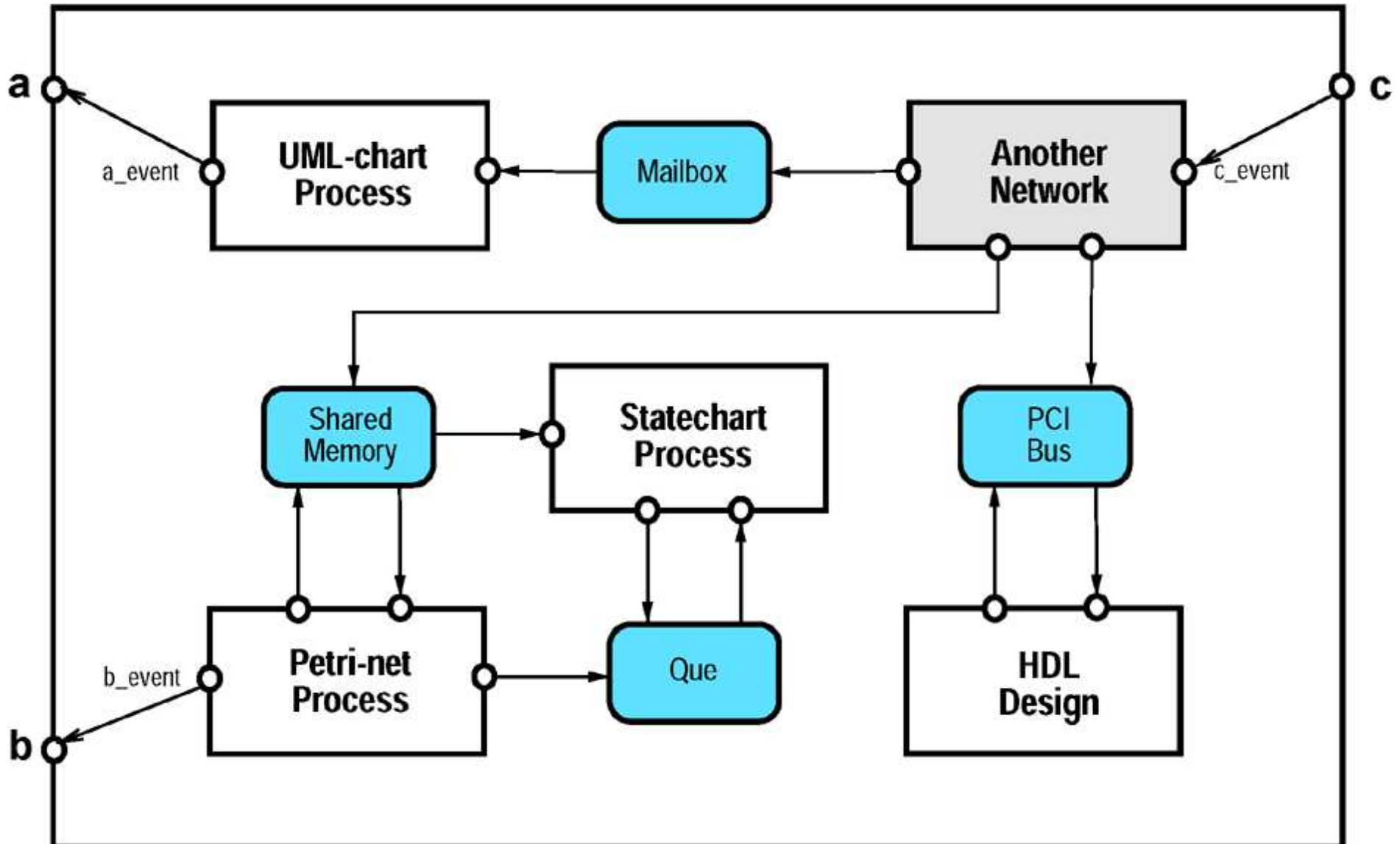
Visifold/Manifold      ToolBus      Linda      CORBA

# Principal Ideas

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- component-based system behavior
  - = component behavior + interaction
  - [ components + connectors ]
  - ▷ behavioral (component) specification
    - various models of computation
  - ▷ interaction (connector) specification
    - various communication mechanisms
- component-based systems can be **heterogeneous**
  - ▷ behavioral-level heterogeneity
  - ▷ interaction-level heterogeneity

# Principal Ideas



- separation of connectors from components
  - ▷ inspired by Wright [Garlan97]
  - ▷ computational model of a component embedded into **interface**
  - ▷ interface defined by set of **ports**
  - ▷ connectors = glue among component interfaces
  - ▷ connectors model protocols of interaction (coordination models)
- hierarchy of components
  - ▷ inspired by SOFA [Plasil98]
  - ▷ recursive structure

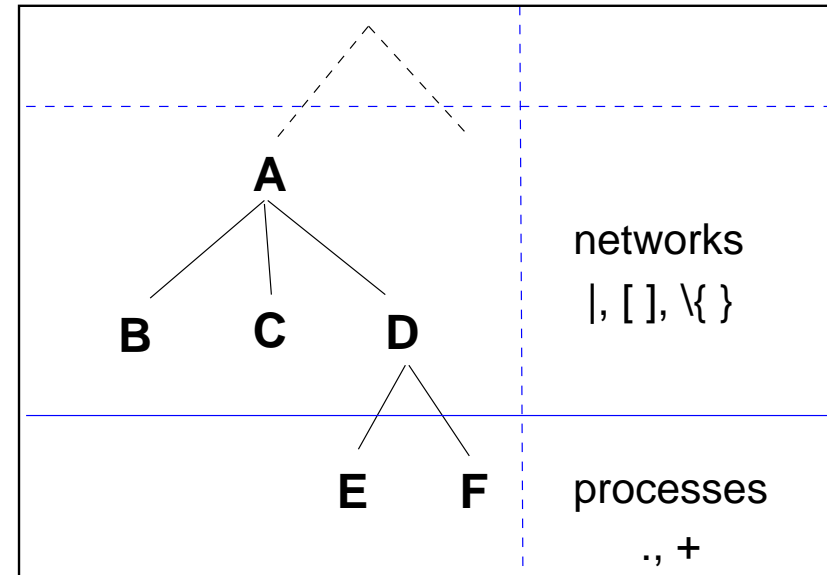
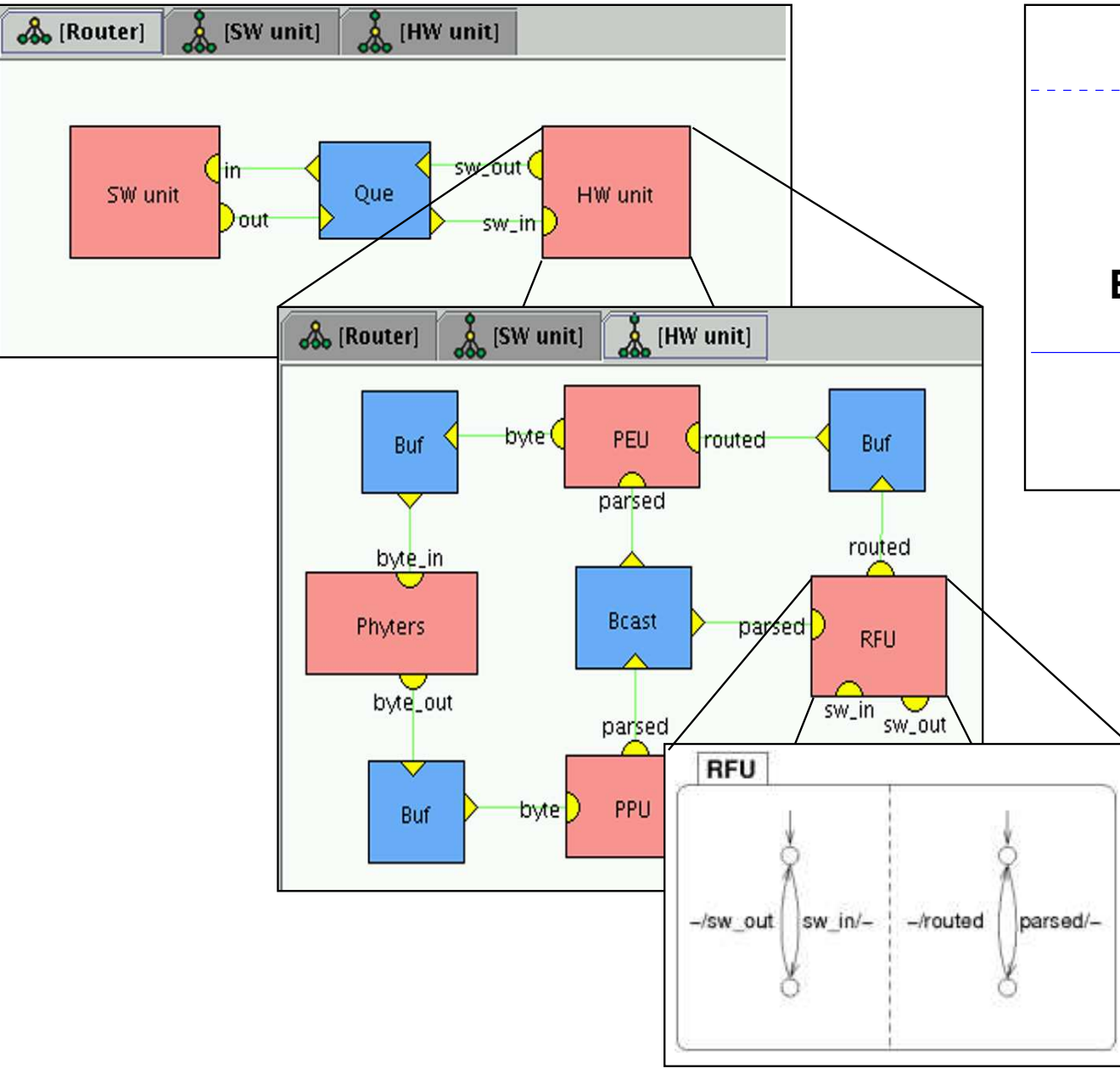


# Relation with UML (intuition)

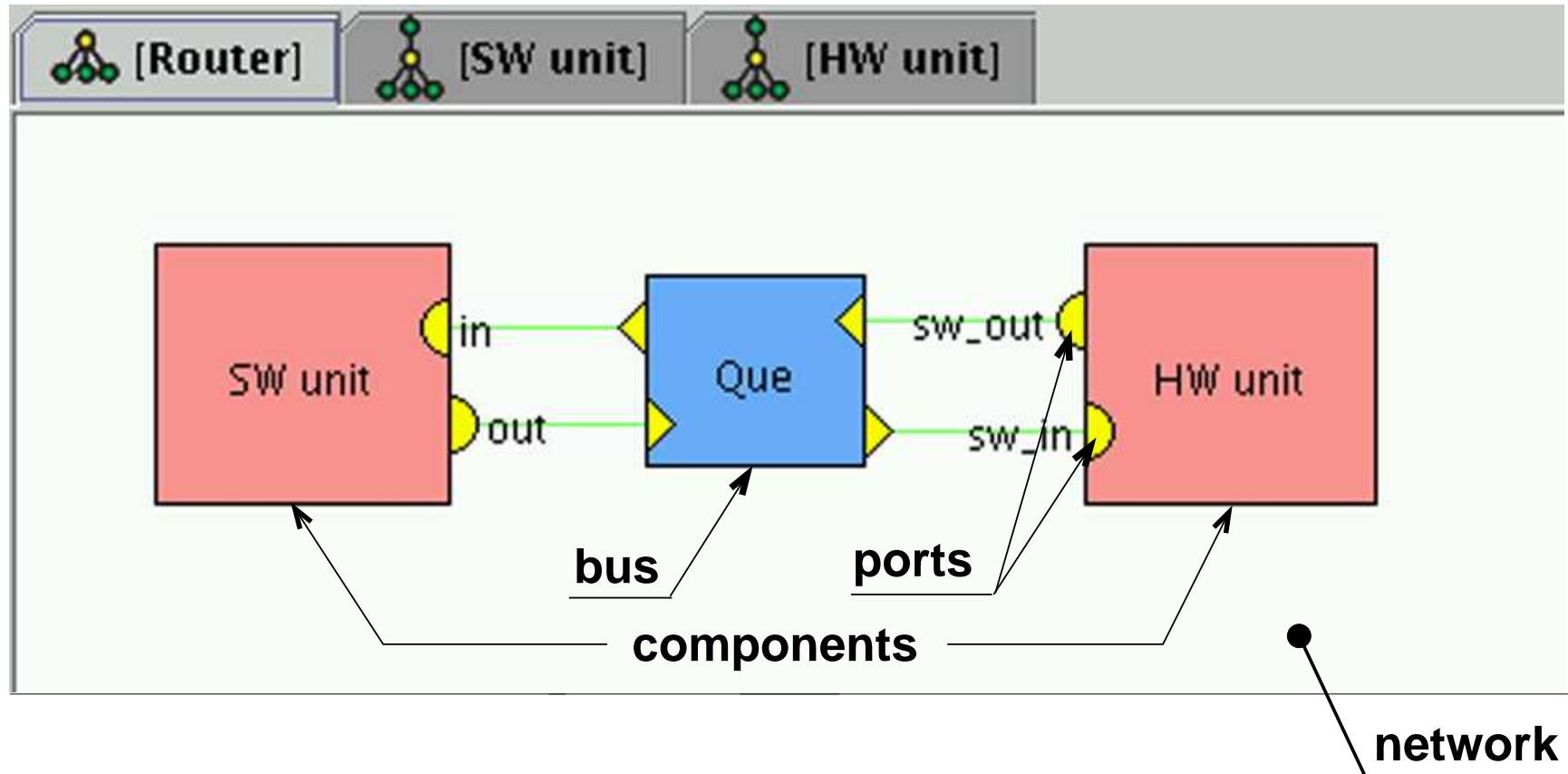
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- class diagrams
  - ▷ VCD can be taken as a profile
    - class of computational components
    - classes of connectors
- collaboration diagrams and MSCs
  - ▷ static communication infrastructure
- statecharts
  - ▷ UML statecharts can be directly used with VCD

# Overview of VCD – Hierarchy

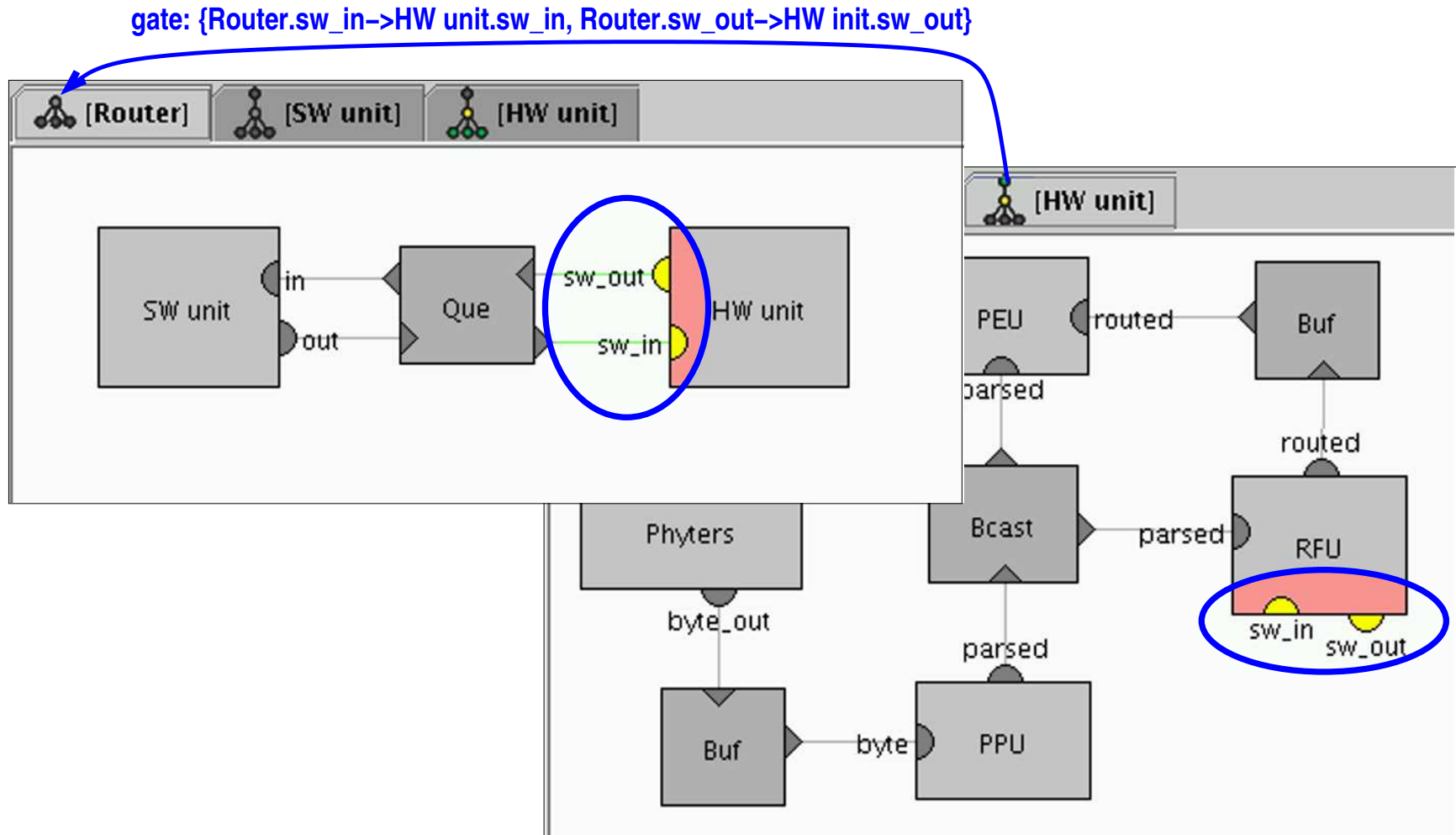


# VCD – A Network



- components embedded in **networks**
- component **interfaces** contain unidirectional **ports**
- connectors represented by **buses**

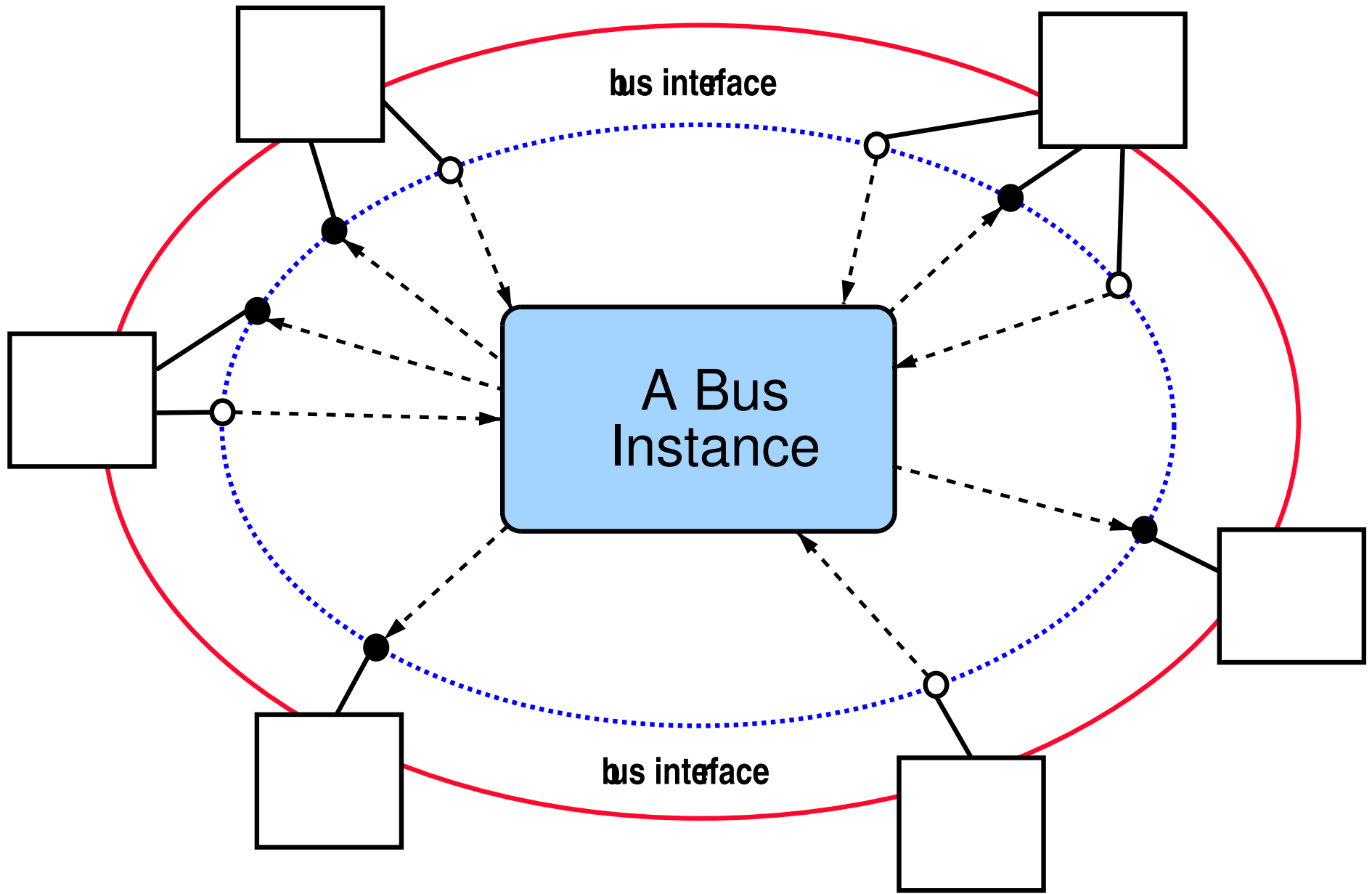
# VCD – Network nesting



- nested network bound to the encompassing interface by **free ports**
- binding realized by port names identity or by a **network gate**

- atomic network components with reserved semantics
  - ▷ VCD representation of connectors (coordinators)
  - ▷ they cannot be refined with a network
- buses can model various coordination mechanisms
  - ▷ both synchronous and asynchronous types
  - ▷ different buses can be mixed in a particular network
- **bus class**
  - ▷ a template for a particular coordination mechanism
  - ▷ semantically based on a state-transition logic
- **bus instance**
  - ▷ an occurrence of a bus in a network

# VCD – Buses and Bus Classes



# VCD – Buses and Bus Classes

- $\mathcal{W}$  ... a countable set of **output ports**
- $\mathcal{R}$  ... a countable set of **input ports**
- $\mathcal{W} \cap \mathcal{R} = \emptyset$

**Bus class**  $\mathcal{B}$  is a tuple  $\langle Q, T, q_0 \rangle$  where

- $Q$  is a (countable) set of states,
- $q_0 \in Q$  an initial state,
- $T \subseteq Q \times 2^{\mathcal{W}} \times 2^{\mathcal{R}} \times Q$  a (countable) transition relation.

**Bus instance**  $B$  of a bus class  $\mathcal{B}$  is a tuple  $B = \langle I, \mathcal{B} \rangle$  where

- $I = \langle W, R \rangle$ ,  $W \subseteq \mathcal{W}$ ,  $R \subseteq \mathcal{R}$  (finite) ... a bus interface
- $\mathcal{B}$  ... a bus class.

# An Example of a Bus (I)

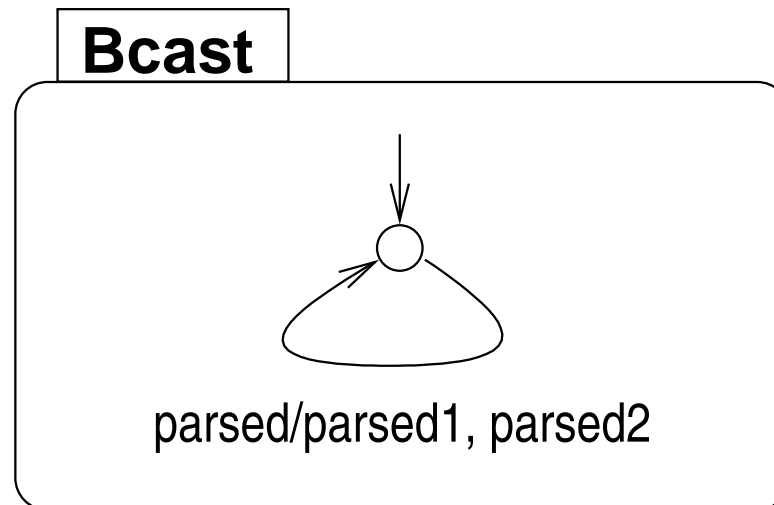
## synchronous multicast coordination model

bus class:

$$\mathcal{B}_{mc} = \langle \{q_0\}, T, q_0 \rangle$$

$$\forall w \in \mathcal{W}, \Delta \subseteq \mathcal{R}, \Delta \neq \emptyset. \langle q_0, \{w\}, \Delta, q_0 \rangle \in T$$

bus instance:



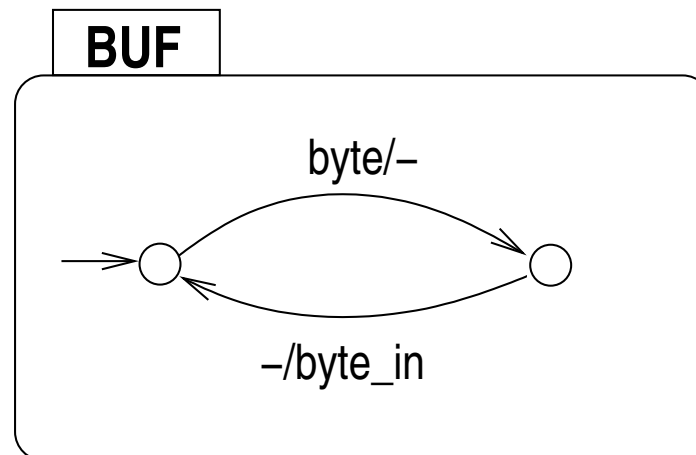


# An Example of a Bus (II)

## asynchronous message passing coordination model

- $\mathcal{B}_{buf} = \langle Q, T, q_0 \rangle$
- $Q = \{q_w \mid w \in \mathcal{W}\} \cup q_0$
- $T$  is defined by the following expression:

$$\forall w \in \mathcal{W}. \langle q_0, \{w\}, \emptyset, q_w \rangle \in T$$
$$\wedge \forall q_x \in Q, q_x \neq q_0, r \in \mathcal{R}. \langle q_x, \emptyset, \{r\}, q_0 \rangle \in T$$

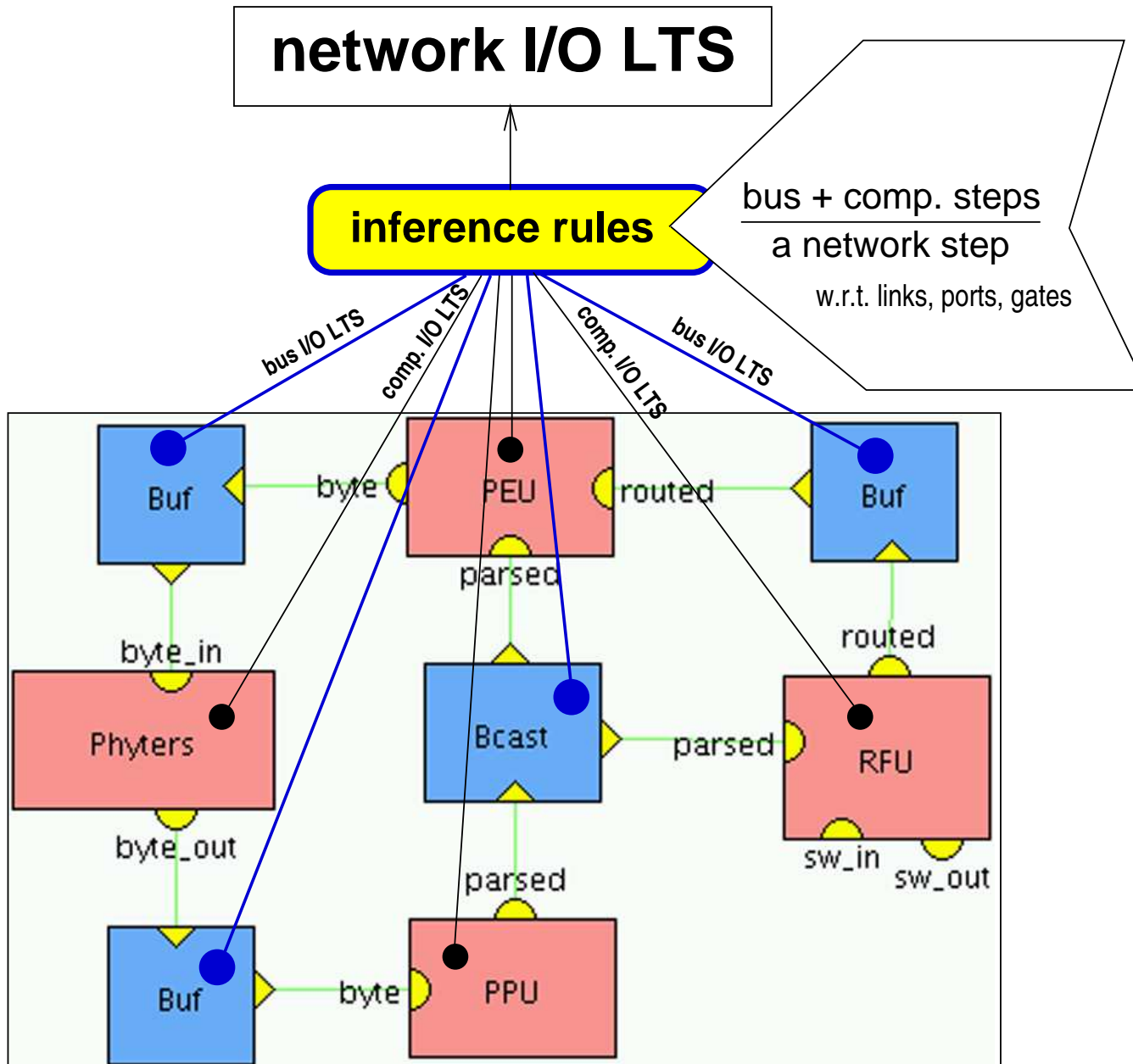


- can be defined using any formalism semantically compatible with the notion of I/O LTS
- multilinguality in the scope of expressiveness of I/O LTS
- we use set-labeled LTSs to capture Statecharts, Petri-Nets, . . .

An **I/O LTS** is a tuple  $\langle Q, T, q_0 \rangle$  where

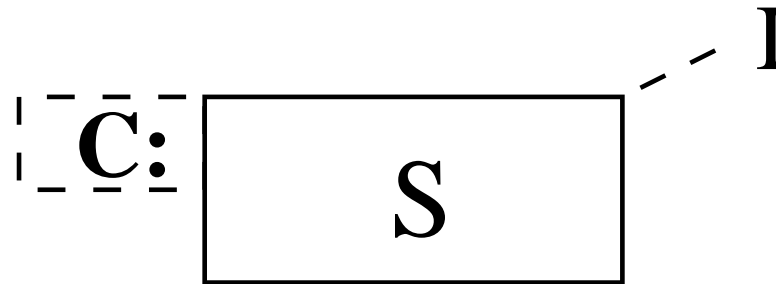
- $Q$  is a set of states (potentially infinite),
- $q_0 \in Q$  an initial state,
- $T \subseteq Q \times 2^{\mathcal{R}} \times 2^{\mathcal{W}} \times Q$  a transition relation.

# VCD – Semantics



# VCD – Semantics (II)

component body  $S$  inserted in interface  $I$  makes a VCD component  $C$



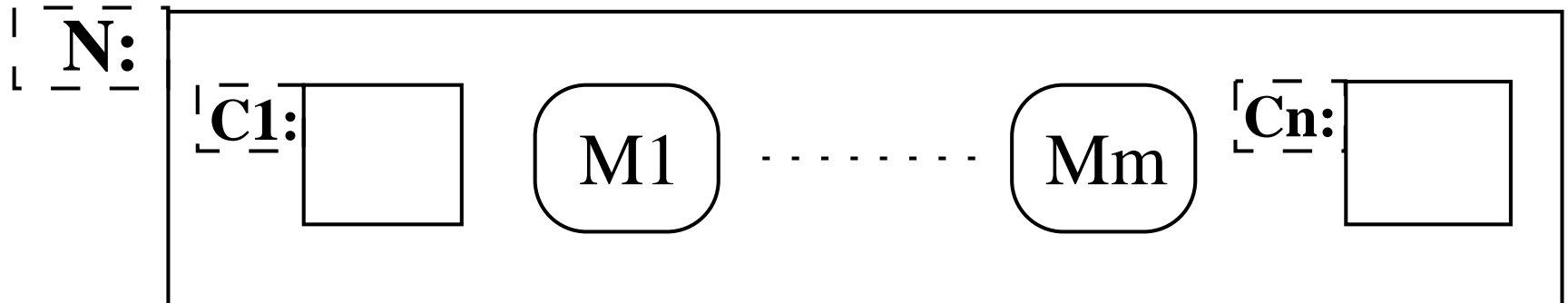
transition of  $S$ :  $q \xrightarrow[\Delta]{\Gamma} q'$   $(\Gamma \subseteq ports(S) \cap \mathcal{R} \text{ and } \Delta \subseteq ports(S) \cap \mathcal{W})$

transition of  $C$ :  $q \xrightarrow[I^{\mathcal{W}} \cap \Delta]{I^{\mathcal{R}} \cap \Gamma} q'$

where  $ports(S) \subseteq \mathcal{W} \cup \mathcal{R}$  is a set of all actions of  $S$

# VCD – Semantics (III)

components  $C_1 \dots C_n$  and buses  $M_1 \dots M_m$  inserted in network  $N$



- stand-alone components — interleaving
- components connected to buses — interleaving or synchronization

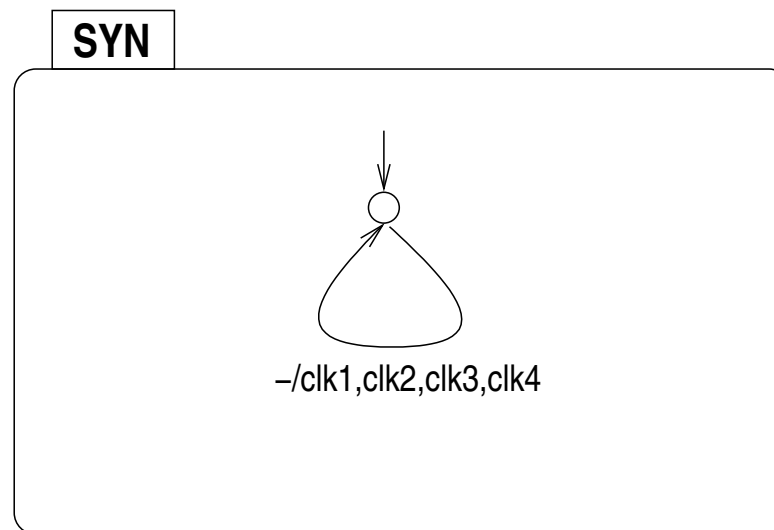
# Synchronous Behavior

bus class:

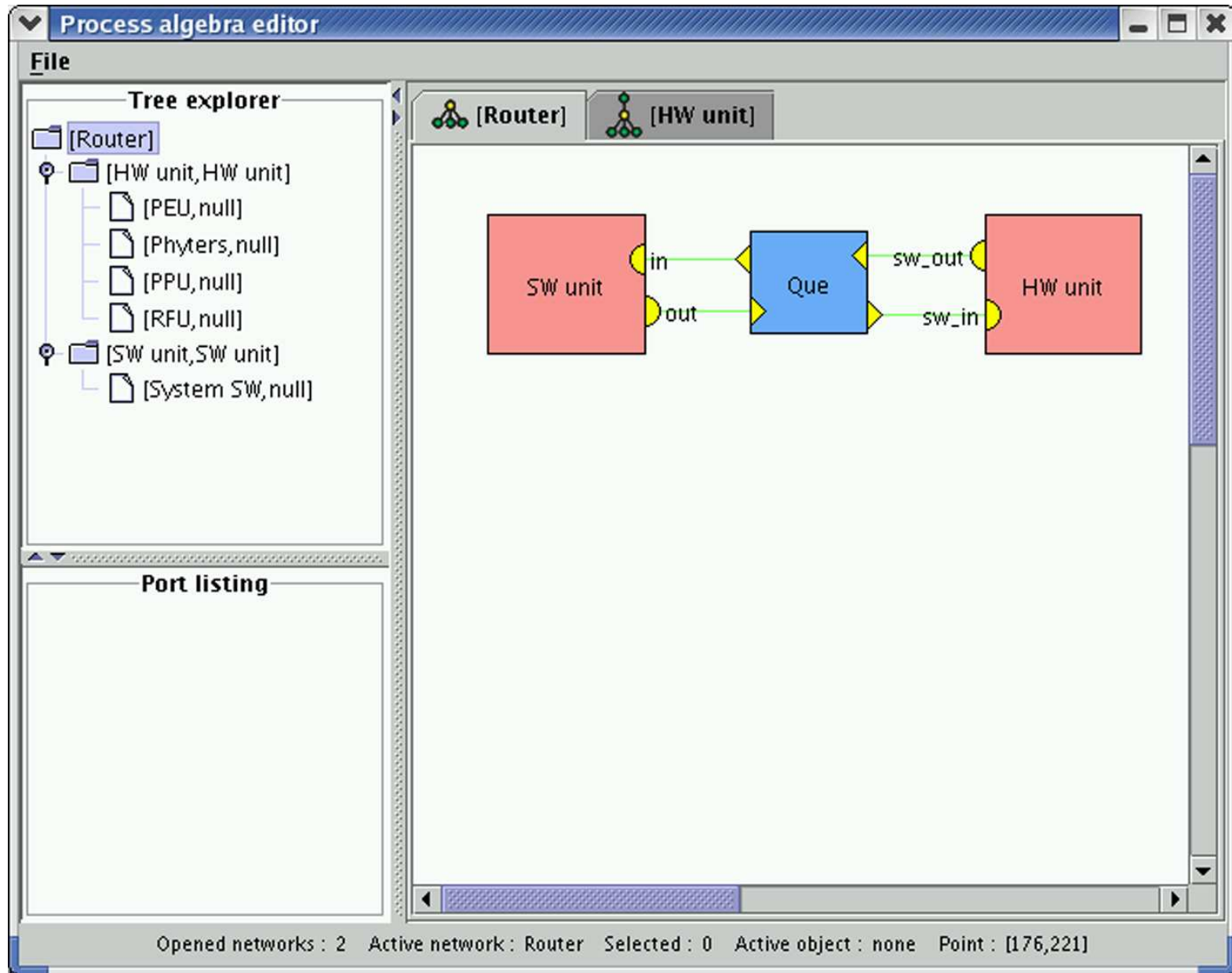
$$\mathcal{B}_{clk} = \langle \{q_0\}, T, q_0 \rangle$$

$$\forall \Gamma \subseteq \mathcal{R}, \Delta \neq \emptyset. \langle q_0, \emptyset, \Gamma, q_0 \rangle \in T$$

bus instance:



# Tool support (prototype)



# Conclusion

- we built a simple design notation with formal semantics
- static hierarchical coordination model
- Statecharts-like models can be used for atomic processes

	VCD	UML	SOFA	Manifold
hierarchy	networks	object aggregation	compound comps.	meta-coordinators
architecture	static	static	dynamic (DCUP)	dynamic
heterogeneity	various buses state-transition models	connectors = comps. UML objects	gen. connectors diff. paradigms	asynch. channels different paradigms
multilinguality	LTS with event-sets (Statecharts, Petri-Nets, ...)	UML statecharts	Java, C++, ...	C++, Fortran, ...
application	design of distr. SW, HW, synchronous systems	design of SW asynch. systems	implement. of distr. SW	design and implementation of parallel/distr. systems



# Future Work

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- typed value-passing support
- relation with UML
- extending the network layer (classes of buses)
- extending the behavioral layer (Petri-Nets, . . .)
- improving implementation
- connection with verification tools (DiVinE)

*VCD: A Visual Formalism for Specification of Heterogeneous Software Architectures*

with J.Simša, accepted to SOFSEM 2005

*Visual Specification of Systems with Heterogeneous Coordination Models*

in proceedings of FOCLASA 2004

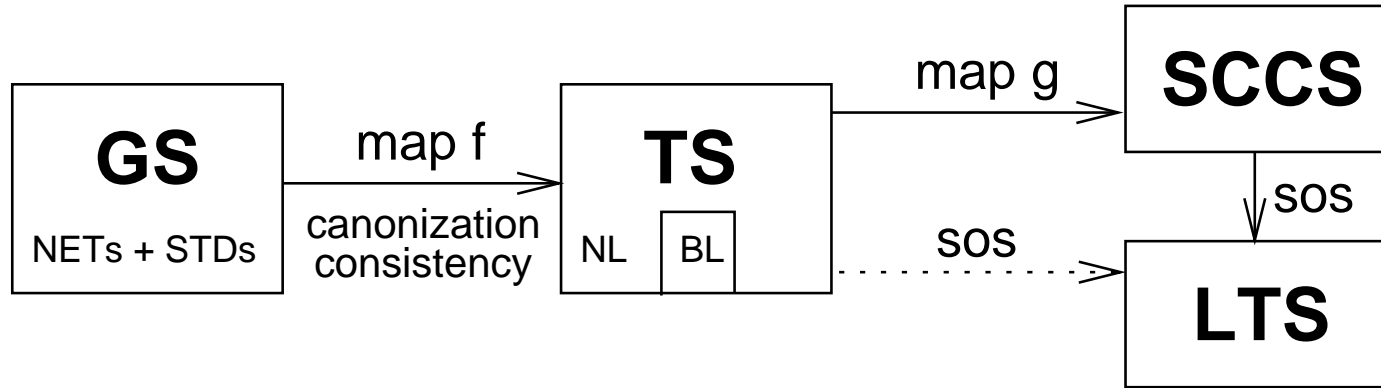
*Visual Specification of Concurrent Systems*

in proceedings of ASE 2003

*SGCCS: A Graphical Language for Real-Time Coordination*

in proceedings of FOCLASA 2002

# SGCCS Semantics



$$\begin{aligned}
 S_i \sim S'_i &\Rightarrow \langle \langle \langle S_1, I_1 \rangle, \dots, \langle S_i, I_i \rangle, \dots, \langle S_n, I_n \rangle \rangle, B, L \rangle \\
 &\sim \langle \langle \langle S_1, I_1 \rangle, \dots, \langle S'_i, I_i \rangle, \dots, \langle S_n, I_n \rangle \rangle, B, L \rangle
 \end{aligned}$$

$$g(S_i) \sim g(S'_i) \Rightarrow$$

$$\begin{aligned}
 &((g(S_1) \setminus R_1)[F_1] \times \dots (g(S_i) \setminus R_i)[F_i] \dots \times (g(S_n) \setminus R_n)[F_n]) \setminus R[F] \\
 &\sim ((g(S_1) \setminus R_1)[F_1] \times \dots (g(S'_i) \setminus R_i)[F_i] \dots \times (g(S_n) \setminus R_n)[F_n]) \setminus R[F]
 \end{aligned}$$